

5.5 Proving Triangles Congruent by SSS & HL CYU

Use when you get it right all by yourself

S Use when you did it all by yourself, but made a silly mistake

H Use when you could do it alone with a little help from teacher or peer

G Use when you completed the problem in a group

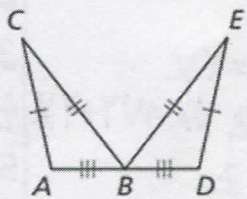
X Use when a question was attempted but wrong (get help)

N Use when a question was not even attempted

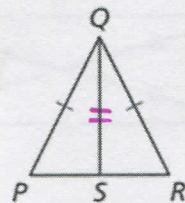
CONCEPTS	BASIC	INTERMEDIATE	ADVANCED
SSS Congruence Theorem	1, 2	5 - 7	11
HL Congruence Theorem	3, 4		11
Proofs	8	9	10
Solving Triangles			12

Decide whether enough information is given to prove that triangles are congruent using the SSS Theorem or HL Theorem. Explain.

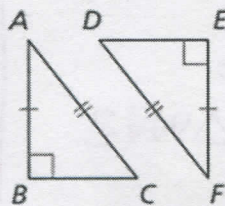
1. $\triangle ABC$ & $\triangle DBE$
 yes SSS
 $AB \cong BD$
 $AC \cong DE$
 $BC \cong BE$



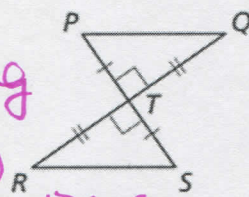
2. $\triangle PQS$ & $\triangle RQS$
 no missing third side or Rt \angle



3. $\triangle ABC$ & $\triangle FED$
 yes; HL
 $\angle B$ & $\angle E$ are Rt
 $AB \cong FE$; $AC \cong FD$



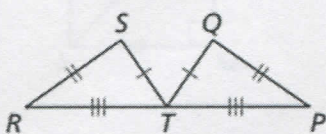
4. $\triangle PQT$ & $\triangle SRT$
 no, missing third side (hypotenuse) for both options



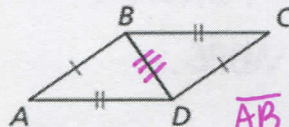
(SAS works)

Decide whether the congruence statement is true. Explain your reasoning.

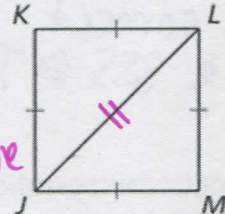
5. $\triangle RST \cong \triangle TQP$
 no $RS \cong QT$



6. $\triangle ABD \cong \triangle CDB$
 yes
 $AB \cong CD$
 $BD \cong DB$ Reflexive
 $AD \cong CB$

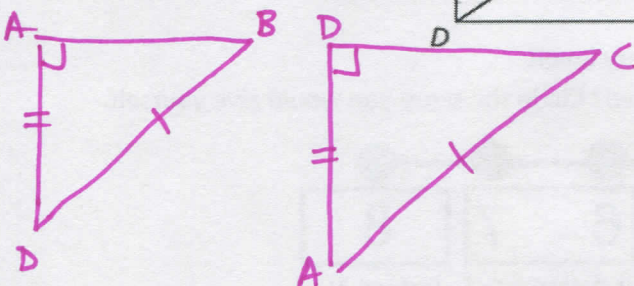
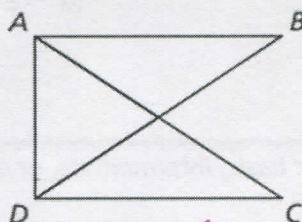


7. $\triangle JKL \cong \triangle LJM$
 no $JL \cong JL$



Redraw the triangles so they are side by side with corresponding parts in the same position. Then write a proof.

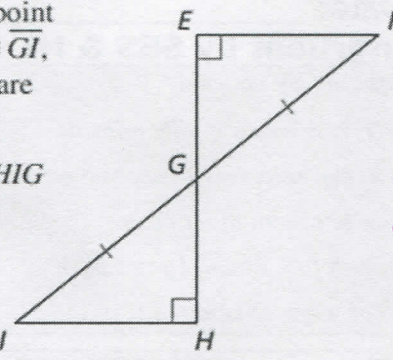
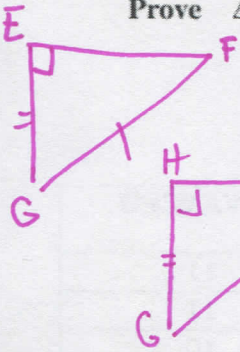
8. Given $\overline{AC} \cong \overline{BD}$,
 $\overline{AB} \perp \overline{AD}$,
 $\overline{CD} \perp \overline{AD}$
 Prove $\triangle BAD \cong \triangle CDA$



Statements	Reasons
1. $\overline{AC} \cong \overline{BD}$; $\overline{AB} \perp \overline{AD}$ $\overline{CD} \perp \overline{AD}$	1. Given
2. $\overline{AD} \cong \overline{AD}$	2. Reflexive Prop
3. $\angle BAD \cong \angle CDA$ R Rt \angle	3. Def of \perp lines
4. $\triangle BAD \cong \triangle CDA$ R Rt \triangle	4. Def of Right \triangle
5. $\triangle BAD \cong \triangle CDA$	5. HL \cong Thm

9. **Given** G is the midpoint of EH , $\overline{FG} \cong \overline{GI}$, $\angle E$ and $\angle H$ are right angles.

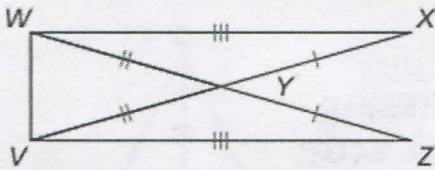
Prove $\triangle EFG \cong \triangle HIG$



Statements	Reasons
1. G is the mdpt of EH , $\overline{FG} \cong \overline{GI}$; $\angle E$ & $\angle H$ are Rt \angle 's	1. Given
2. $\overline{EG} \cong \overline{HG}$	2. Def of mdpt
3. $\triangle EFG \cong \triangle HIG$ R Rt \triangle	3. Def of Rt \triangle
4. $\triangle EFG \cong \triangle HIG$	4. HL \cong Thm

10. **Given** $\overline{WX} \cong \overline{VZ}$, $\overline{WY} \cong \overline{VY}$, $\overline{YZ} \cong \overline{YX}$

Prove $\triangle VWX \cong \triangle WVZ$

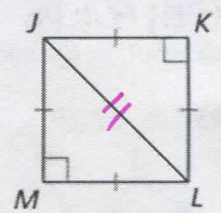


Statements	Reasons
1. $\overline{WX} \cong \overline{VZ}$; $\overline{WY} \cong \overline{VY}$; $\overline{YZ} \cong \overline{YX}$	1. Given
2. $\overline{WV} \cong \overline{WV}$	2. Reflexive POE
3. $WY = VY$; $YZ = YX$	3. If $\cong \Rightarrow =$
4. $WZ = WY + YZ$; $VX = VY + YX$	4. Seg. Add. Post.
5. $VX = WZ$	5. Substitution POE
6. $\overline{VX} \cong \overline{WZ}$	6. Transitive POE
7. $\overline{VX} \cong \overline{WZ}$	7. If $= \Rightarrow \cong$
8. $\triangle VWX \cong \triangle WVZ$	8. SSS \cong Thm

11. **MAKING AN ARGUMENT** Your cousin says that $\triangle JKL$ is congruent to $\triangle LMJ$ by SSS Congruence Theorem. Your friend says that $\triangle JKL$ is congruent to $\triangle LMJ$ by HL Congruence Theorem. Who is correct? Explain your reasoning.

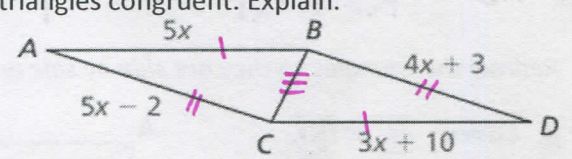
Both are correct.
 $HL \cong$ Thm & $SSS \cong$ Thm both work.

Reflexive



12. **MATHEMATICAL CONNECTIONS** Find all values of x that make the triangles congruent. Explain.

$x = 5$ $\triangle ABC \cong \triangle DCB$
 $x \neq 3$ & $x \neq 6$



CYU Reflection: How far can you go: basic, intermediate, or advanced?

Rate your mastery level!

How confident are you with the skills this CYU covered? Circle the score you would give yourself.

